248. Oxidation - **Reduction Reactions of Tetrachloroaurate(II1) Anion with Triphenyl Derivatives of Group V Elements**

by **Raymond Roulet, Nguyen Quang Lan,**

Inorganic and Analytical Chemistry Institute, Lausanne University

W. Roy Mason and **Gerald P. Fenske, Jr.**

Michael Faraday Laboratories, Department **of** Chemistry of Northern Illinois University, Dekalb, Illinois 60115

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Summary. The reduction of the tetrachloroaurate (III) anion by L $(L = PPh_a, AsPh_a, SbPh_a)$ is quantitative in non-aqueous solution. The products are the gold(I)-complexes AuClL (L = AsPh₃, SbPh₃) and Au(PPh₃)₂⁺ together with the corresponding oxidation product LCI₂. Kinetic studies show that the reactions are first order in AuCl₄ and L. In addition a path independent of PPh, was found in dichloromethane. These data are interpreted in terms of mechanisms which involve reduction of $AuCl₁⁻$ to $AuCl₂⁻$, followed by equilibrium formation of AuClL for $L = AsPh₃$ and SbPh₃. For PPh₃, the data are consistent with a chloride replacement by PPh₃ to give AuCl₃ PPh_a, which is followed by a rapid reduction by a second mole of PPh_a. Equilibrium formation constants are reported for several Au(1) complexes.

1. Introduction. – The majority of kinetic studies of gold(III)-complexes deal with nucleophilic substitutions [l] and very few with reactions which involve redox processes. Except for the electrochemical reduction of AuC1,- **1121,** reduction reactions of gold(II1) to gold(1) have been poorly characterized, probably because of the ease of reduction into colloidal gold and the tendency of gold(1) to disproportionate in solution into Au(0) and Au(II1). *Rich et al.* **[3]** have reported the catalytic reduction of AuCl₄ by Fe²⁺; *De Filippo et al.* [4] have examined its reduction by thiomorpholine, and *Gibson et al.* [5] the reduction of $\text{AuBr}_3\text{S}(C_7\text{H}_7)$, by styrene.

To avoid the reduction into metallic gold, a logical choice is to use ligands which act as two electrons reducing agents and also form stable $\text{gold}(I)$ -complexes. This is the case for the reaction of tetrachloroaurate(II1) with triphenyl-phosphine, -arsine and -stibine in acetonitrile and other aprotic solvents. These reactions are conveniently followed by UV. spectrophotometry. As $\text{gold}(I)$ -complexes are the products of the reduction, a quantitative evaluation of their stability in solution and of their spectral characteristics was undertaken.

2. Electronic absorption spectra of Aux_3^- **-complexes** $(X = \text{CI}, \text{Br}, I)$ **.** – The spectra of AuX_2^- (Fig. 1) were measured in acetonitrile at room temperature. The AuX_2 ⁻-solutions (X = Cl or Br) were prepared by making a 1:3 mixture of $[Au(MeCN)_2]CO_4$ and Et_4NC1 or Bu_4NBr respectively. For this ratio, $logK_1K_2$ in Table 2 shows that AuX_2^- is the main gold species present. The spectra of $\text{AuCl}_2^$ follow *Beer's* law between 0.3 and 3.10⁻³M. The solutions of AuCl₂⁻ and of AuBr₂⁻ were colorless and free of gold(III) $(AuCl_i⁻$ would give maxima at 323 and 226 nm, AuBr_4^- at 396 nm). The pale yellow AuI_2^- -solutions were prepared by treating $\text{AuBr}_2^$ with excess Bu₄NI. No maxima above 350 nm due to $I_{\overline{s}}$ or AuI₄ were observed.

Fig. 1. Electronic spectra of AuX_2^- in acetonitrile at 20°

The bands observed for AuX_2^- are too weak to be assigned to allowed chargetransfer transitions. Furthermore, a ligand to metal $(L \rightarrow M)$ process can be ruled out since the $L \rightarrow M$ systems in the isoelectronic HgX₂-complexes appear at higher energies [6]. The logical assignment for the spectra of AuX_2^- is a parity forbidden $5d \rightarrow 6s$ transition, probably $5d_{z^2} \rightarrow 6s$ $[{}^1\Sigma_g^+ \rightarrow {}^1\Sigma_g^+]$. Such transitions have been assigned for related Ag(1)-complexes **[7].**

3. Stability of some gold(I) complexes in acetonitrile. -3.1 . Potentiometric *results.* The successive stability constants $K_1 = [AuL]/[Au][L]$ and $K_2 = [AuL_2]$ $[AuL][L]$ ($L =$ ligand, charges omitted) were determined by direct or inverse titrations (see 5.2). The indicating gold electrode obeyed *Nernst's* law ($E_{\text{Aut/Au}}^0 = +1.335$ V *vs.* SCE at 20°; *Goolsby et al.* found $+1.338$ V at 24° [2]). Thus, the constants were calculated by using the equation $E = E^{\circ} + 0.058 \log c_{Au}/(1 + [L]K_1 + [L]^2K_1K_2)$ and the following approximations : 1. before the first equivalence point, AuL is the **main** complex in solution, 2. between the first and the second equivalence point, one has a mixture of AuL and AuL₂, 3. after the second equivalence point, AuL₂ is the main

species of gold(I). The identity of the complex was deduced from the abscissa of the drop in potential of the titration curves (Fig. 6). In the case of PPh₃, *Mutterties et al.* [8] have identified the complex $Au(PPh_a)^+$ in dichloromethane at -80° . However in acetonitrile and for ratios $2 < \text{PPh}_3/\text{Au} < 3$, this species seems to be present in negligible amount compared to $Au(PPh_3)_2^+$ (see 5.2).

ligand	$log K_1$	$log K_1K_2$	ligand	$log K_1K_2$
$Cl-$	12.0 ^a	20.2 (21.2))	Me ₂ S	10.6
Br^-	12.0 ^a	20.6 $(21.4b)$	$C_6H_{11}NH_2$	19.6
$T-$	17.1	23.8	AsPh,	17.1
Ph_3PO		< 6	PPh ₂	23.3

Table 2. *Stability constants of some gold(I)-complexes in acetonitrile* $T = 20.0 + 0.1^{\circ}$, $\mu = 0.1$ (Et₄NClO₄)

a) Ref. [2]: at 24°, $\log K_1K_2 = 19.9$ for AuCl_2^- and 20.2 for AuBr_2^- ; Ref. [15]: at 25°, $\log K_1K_2 = 20.5$ for AuCl_2^-

h) Corrected for ion pair formation using $K' = [Et_4N^+L^-]/[Et_4N^+][L^-] = 35$ for Cl⁻ and 22.4 for Br⁻, and $K'' = [Et_4N^+ClO_4^-]/[Et_4N^+][ClO_4^-] = 11.2$ [15].

 $Au(MeCN)₂⁺$ is reduced into metallic gold by triphenylamine, -stibine and -bisinuthine. Using some of *Goolsby* & *Sawyer's* data *[a]* in addition to our results, one gets the following trends of increasing stability of the AuL_2 -complexes: anionic complexes: CNO⁻ \lt CNS⁻ \sim Cl⁻ \lt Br⁻ \lt I⁻ \ll CN⁻; cationic complexes: Ph₃PO \lt $Me₂S < py < AsPh₃ < NH₃ < C₆H₁₁NH₂ < CPPh₃.$ These trends are typical of a soft or class B acceptor.

3.2. Equilibrium Constants for $AuCl_2^- + L \nightharpoonup AuCl$ + Cl^- (eq. 1) $(L = PPh_3)$, $AsPh_3, SbPh_3$. The knowledge of the position of these equilibria is necessary for the understanding of the kinetic results (part **4). As** expected for a **d10** substrate, the

Fig. 2. a) Absorbance of mixtures of Et_4NAuCl_2 and PPh₃ in various ratios in acetonitrile. b) Electronic *spectrum of AuClAsPh,* (I), *AuClSbPh, (11) and AuCIPPh, (III)*

substitution reactions of AuX_2^- are rapid (complete in the mixing time of 5 sec.). This is also true with amines (NH₃, cyclohexylamine). The constants $K = [AuClL]$ [Cl⁻]/[AuCl₂][L] were determined spectrophotometrically by using mixtures of the reactants in various ratios and also of the products in the case of AsPh_a (L and AuClL follow *Beer's* law). The identity of the mixed complexes was deduced by comparing the UV. spectrum of 1:1 mixtures of L and $AuCl₂⁻$ with the spectrum of the corresponding AuClL-complex. Solid AuClAsPh₃ and AuClPPh₃ were isolated from the equilibrium mixtures at higher $\gcd(I)$ concentration. In each case, good isosbestic points show that in the region examined only the absorption of L and AuClL have to considered. (Fig. 2). Knowing the extinction coefficients ε_L of L and $\varepsilon_{A \text{uCl}}$ of AuClL, the total concentrations $[Au]_t$, $[L]_t$, $[Cl]_t$, and measuring the absorbance A at the corresponding wavelength, one obtains:
 $[AuClL] = x = (A - \varepsilon_L[L]_t)/(\varepsilon_{AuClL} - \varepsilon_L)$ and

$$
[AuClL] = x = (A - \varepsilon_L[L]_t)/(\varepsilon_{AuClL} - \varepsilon_L) \text{ and}
$$

$$
K = x ([Cl]_t + x - 2 [Au]_t)/([Au]_t - x) ([Cl]_t - x)
$$

Table 3. *Equilibrium constant of* $AuCl_2^+ + L \geq AuCl_L + Cl^-$ *in acetonitrile at 20.0* \pm *0.1°* (mean **of** measurements)

ligand L	$SbPh$,	AsPh _s	PPh ₂
К	0.15 ± 0.05	$13 + 2$	$>\!10^2$

An additional equilibrium becomes important in the presence of an excess of triphenylphosphine as AuClPPh_a is then converted into Au(PPh_a)⁺ [9].

4. Redox reactions of AuCl; with the triphenyl derivatives of group V elements. – 4.1. *Reactions on a preparative scale*. The reduction of gold(III) is quan-

Fig. 3. Electronic spectrum of equilibrium mixtures of $AuCl_4^-$ and $SbPh_3$ in acetonitrile at 20°. $[AuCl₄⁻]$ _t = 3.75 \cdot 10⁻⁴ M ; $[\text{SbPh}_3]$ _t \cdot 10⁴ M = 0 (spectrum 1), 1.514 (2), 2.187 (3), 2.861 (4), 3.197 (5), 3.534 *(6),* 5.050 (7) and 5.720 (8) (see 5.1. for extinction coefficients)

titative when the ligand L (PPh₃, AsPh₃, SbPh₃) is added to an acetone solution of $Bu₄NAuCl₄$ in ratios $L/Au > 2$. The complex AuClL precipitates on adding ether. In the triphenylarsine case, the oxidation product is identified in the reaction mixture by thin layer chromatography as beeing Ph_aAsCl_a . The quantitative separation from AsPh₃, AuClAsPh₃ and Bu₄NCl was performed by partition chromatography (silica gel column, eluent: acetone/benzene 4:6, then ethanol). The alcoholysis product **of** Ph,AsCl, **was** obtained and identified by its UV., IR. and lH-NMR.-spectra. The complex $AuCl_a AsPh_a$ was not present at any time in the reaction mixture in measurable amounts. Triphenylbismuthine was found to reduce $AuCl_4^-$ rapidly into metallic gold, and triphenylamine does not reduce $AuCl₄⁻$ in acetone or acetonitrile but instead gives chloride substitution,

4.2. Stoichiometry of the reaction $AuCl_2^- + L$ in acetonitrile $(L = PPh_3, AsPh_3,$ $SbPh_3$).

a) $L = SbPh_3$.

The variation of the absorbance at 322 nm where only $AuCl_4^-$ absorbs shows that the stoichiometry is 1:1:

spectrum	$\mathrm{[L]_t \cdot 10^4}$ M	$100[L]_t/[\text{AuCl}^-_t]_t$	A_{322}	$\%$ AuCl _a reduced	L/Au
1	0	0	2.013		
$\overline{2}$	1.514	40.4	1.181	41.3	1.02
3	2.187	58.3	0.816	59.4	1.02
4	2.861	76.3	0.480	76.1	1.00
5	3.197	85.2	0.294	85.3	$1.00\,$
6	3.534	94.2	0.121	93.9	1.00

Table 4. *Stoichiometry of the reaction* $AuCl₄⁻ + SbPh₃ (= L)$ *in acetonitrile* $[AnC]=1 = 3.75 \cdot 10^{-4}$ $M_{\text{S}} = 5360 \cdot 10^{-1}$

For ratios $L/Au < 1$ (spectra 1–6), the isosbestic points show that only one species P absorbs apart from AuCl₄. When analysing the curves at 263 (and 270) nm, the apparent extinction coefficient of P $(\varepsilon_{\text{P}} = A - \varepsilon [AuCl_{4}^{-}]/[P])$ was equal within 1% to apparent extinction coefficient of P ($\varepsilon_{\rm P} = A - \varepsilon[AuCl_{\rm A}^{-}]/[P]$) was equal within 1% to the extinction coefficient of pure Ph_aSbCl₂ (see 5.1.). For ratios > 1, free triphenylstibine appeared in solution. Curves 7-8 show that the concentration of free SbPh, is lower than the theorical one. Thus, the gold(I) complex (assumed to be $AuCl₂$) reacts with the excess of $SbPh_3$ until the equilibrium (eq. 1) is reached. The hypothesis that $AuCl₂$ is an intermediate of the reaction is supported by calculating $K = [AuCISbPh_3][Cl^-]/[AuCl^-_2][SbPh_3]$ and comparing it with the result in Table 3. At a given wavelength, the difference in absorbance due to the presence of $SbPh_a$ $(= L)$ and AuClL is:

$$
\Delta A = A - \varepsilon_{\text{LCl}_2}[\text{LCl}_2] \left([\text{AuCl}_4^-] = 0 \right). \text{ As each compound follows } \text{Beer's law, one has:}
$$
\n
$$
[\text{AuCl}_4^-]_t = [\text{LCl}_2] = [\text{AuCl}_2^-] + [\text{AuClL}]
$$
\n
$$
[\text{L}]_t = [\text{L}] + [\text{LCl}_2] + [\text{AuClL}] \quad \text{and} \quad [\text{AuClL}] = [\text{Cl}^-]
$$
\n
$$
\Delta A = \varepsilon_{\text{AuClL}}[\text{AuClL}] + \varepsilon_{\text{L}}([\text{L}]_t - [\text{AuCl}_4^-]_t - [\text{AuClL}])
$$

The substitution of [AuClL] in the three mass balances allows the determination of K.

Table 5. *Evaluation of K from mixtures of* $A uCl_4^-$ *and* $S bPh_3 (= L)$ *in acetonitrile at 20^o* At 263 nm: $\varepsilon_{\text{L}} = 10130$, $\varepsilon_{\text{AuClL}} = 2040$, $\varepsilon_{\text{LCl}_2} = 1634 \text{m}^{-1} \cdot \text{cm}^{-1}$; at 270 nm: $\varepsilon_{\text{L}} = 7770$, $\varepsilon_{\text{AuClL}} =$ 1438, $\epsilon_{\text{LC1}_2} = 1186$. Error of K: $\pm 40\%$

λ (nm)	\mathbf{A}	$\left[\text{AuCl}_{4}^{-}\right]_{t} \cdot 10^{4} \text{M}$ $\left[\text{L}\right]_{t} \cdot 10^{4} \text{M}$		ΔA	$\%$ $\varepsilon_{\text{AuClL}} \cdot \text{[AuClL]/}\Delta A$	\mathbf{K}
270	1.580	3.75	5.72	1.134	20	0.10
270	1.148	3.75	5.05	0.703	20	0.09
263	1.530	3.75	5.05	0.917	11	0.09

This measure of K is in good agreement with the value in Table **3.** obtained by direct equilibration of Et_4NAuCl_2 with $SbPh_3$.

Thus the identity of the redox reaction is:

$$
AuCl_4^- + SbPh_3 \xrightarrow{\text{slow}} AuCl_2^- + Ph_3SbCl_2
$$
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$$
\n
$$
AuCl_2^- + SbPh_3 \xrightarrow{\text{fast}} AuClSbPh_3 + Cl^- \quad K = 0,1 \quad (eq. 3)
$$
\n
$$
b) L = AsPh_3.
$$

Fig. **4.** *Electronic spectrum of equilibrium mixtures of AuC1; and AsPh, in acetonitrile at 20".* $[AuCl_4^-]_t = 3.89 \cdot 10^{-4}$ M; $[AsPh_3]_t \cdot 10^4$ M = 0 (spectrum 1), 1.605 (2), 2.319 (3), 3.033 (4), 3.389 (5) and 4.282 (6) (see 5.1. for extinction coefficients)

The apparent stoichiometry is **1:l.** The same procedure used in the triphenylstibine case showed that the oxidation product of AsPh₃ is $Ph₃ASCl₂$ (see 5.1.). For ratios $1 < L/Au < 2$, the absorbance was due only to $Ph₃AsCl₂$ and AuClAsPh₃.

spectrum	$[L]_t \cdot 10^4$ M	100 [L] _t /[AuCl ₄] _t	A_{322}	$\%$ AuCl _a reduced	L/Au
1	0		2.079		
$\overline{2}$	1.605	41.3	1.204	42.5	1.03
3	2.319	59.6	0.837	60.4	1.01
—	2.676	68.8	0.708	66.0	0.96
4	3.033	77.9	0.498	76.1	0.98
5	3.389	87.1	0.361	82.6	0.95

Table 6. Apparent *stoichiometry of the reaction* $AuCl_4^+ + AsPh_3 (= L)$ in acetonitrile $[AuCl^-]_t = 3.89 \cdot 10^{-4}$ M; $\varepsilon_{322} = 5345 \,\mathrm{m}^{-1} \cdot \mathrm{cm}^{-1}$

Free triphenylarsine appeared in solution for ratios $L/Au > 2$. Thus in presence of an excess of AsPh₃, the overall stoichiometry is 2:1 and the identity of the reaction is:

\n The equation
$$
Q_1
$$
 is the sum of the formula Q_2 is the sum of the formula Q_3 , the overall stoichiometry is 2:1 and the identity of the reaction is:\n

\n\n $\text{AuCl}_4^- + \text{AsPh}_3 \xrightarrow{\text{slow}} \text{AuCl}_2^- + \text{Ph}_3 \text{AsCl}_2 \qquad \text{K}_1 \gg \text{K}_2 \qquad \text{(eq. 4)}$ \n

\n\n $\text{AuCl}_2^- + \text{AsPh}_3 \xrightarrow{\text{fast}} \text{AuCl}_3 \text{Sh}_3 + \text{Cl}^- \qquad \text{K}_2 = 13 \qquad \text{(eq. 5)}$ \n

\n\n The equation H_2 is the sum of the formula H_2 is the sum of the formula H_2 , which is the sum of the formula $\text{$

$$
\text{AuCl}_2^- + \text{AsPh}_3 \xrightarrow{\text{last}} \text{AuClAsPh}_3 + \text{Cl}^- \qquad \text{K}_2 = 13 \tag{eq.5}
$$

The apparent contradiction with the result in Table **6** is explained by the fact that reaction (4), being a redox process, must have an equilibrium constant K_1 greater than K_2 . Thus, for ratios L/Au smaller than one, $AuCIAsPh_3$ reacts with the excess of AuCl₄ by eq. 6, giving an apparent stoichiometry 1:1:

$$
AuCl_4^- + AuClAsPh_3 + Cl^- \rightarrow 2AuCl_2^- + Ph_3AsCl_3 \quad K_3 = K_1/K_3 \ge 1 \quad (eq. 6)
$$

c) $L = PPh_3$.

Fig. 5. *Electronic spectrum of equilibrium mixtures of* $AuCl_4^-$ *and PPh*₃ in acetonitrile at 20°. $[\text{AuCl}_4^-]_t = 3.89 \cdot 10^{-4}$ M; $[\text{PPh}_3]_t \cdot 10^4$ M = 0 (spectrum 1), 1.681 (2), 2.428 (3), 3.175 (4), 4.857 (5) and 6.351 (6) **(see 5.1.** for extinction coefficients)

spectrum	$[L]_t \cdot 10^4$ M	100 $[L]_t/[\text{AuCl}_4^-]_t$	A_{322}	$\%$ AuCl ₄ reduced	L/Au
1	0	Ω	2.079		
2	1.681	43.1	1.608	22.5	1.92
3	2.428	62.2	1.414	31.8	1.96
$\overline{4}$	3.175	81.3	1.228	40.8	1.99
$\overline{}$	4.483	114.8	0.894	56.9	2.02
5	4.857	124.3	0.840	61.4	2.02
6	6.351	162.1	0.410	80.3	2.01

Table 7. *Stoichiometry of the reaction* $AuCl_4^- + PPh_3 (= L)$ *in acetonitrile* $\lceil \text{AuCl}^-_n \rceil_t = 3.89 \cdot 10^{-4}$ M

The stoichiometry is 2:1. The analysis of curves $2-6$ in the region $260-275$ nm showed that the absorbance is the sum of three contributions by $AuCl₄$, $Ph₃PCl₂$ and AuClPPh₃ (see 5.1). The identity of the overall redox reaction is:

$$
AuCl_4^- + 2\text{ PPh}_3 \rightarrow AuClPPh_3 + Ph_3PCl_2 + Cl^-
$$
 (eq. 7)

In presence of a great excess of PPh_3 , the complex $\text{Au}(\text{PPh}_3)^+$ is formed [9]. The reaction scheme is probably different from those of SbPh₃ and AsPh₃. Indeed, for ratios $\text{PPh}_3/\text{Au} < 1$, one should observe a similar reaction as (6) and get an apparent 1 : 1 stoichiometry. As it is not the case, the first step is probably not the reduction of AuCl₄ into AuCl₂⁻ (see 4.3).

4.3. *Kinetics of the redox reactions in acetonitrile.* a) $L = SbPh_a$ and $AsPh_a$: The reduction of $AuCl_a$ is relatively rapid in acetonitrile and could not be studied under pseudo first order conditions, but it could be followed by conventional UV. spectrophotometry if second order conditions were used. The disappearance of both reactants were recorded. For the general reaction scheme:

the rate of formation of LCl₂ is given by: $dx/dt = k(a-x)(b-x-y)$ (eq. 8). The integrated rate equation may be simplified in the following way: in the case of triphenylstibine $(K = 0.1)$, one adopts the approximation $K = 0$, and the integration of eq. 8 gives: $kt = x/a(a-x)$ (eq. 9) if $b/a = 1$, and $kt = 1/(b-a)$. In [a(b-x)/b(a-x)] (eq. 10) if $b/a > 1$. The rate of disappearance of $AuCl₄⁻$ should be the same as that of SbPh_a. In the case of triphenylarsine, one adopts the approximation $K = \infty$. If $b/a = 2$: $kt = x/ma(a-x)$ (eq. 11) (m = 2 if AuCl_i is followed at 322 nm; m = 4 for AsPh₃ at 270 nm). When an excess of chloride is present, equilibrium (3) is shifted towards the left and eq. 9–10 must be used. If $b/a > 2$: kt = $1/(b-2a) \cdot 1n[a(b-2x)/b(a-x)]$ (eq. 12).

In the case of triphenylarsine, the exact kinetic expression obtained by integration of eq. 8 gives a function $kt = f(t)$ which is linear for $K = 15 \pm 4$. This value is in agreement with the direct measure of the equilibrium constant (Table *3).*

b/a	λ (nm)	$[CIO_{4}^{-}]$	$ Cl^{-} $	$k (M^{-1} S^{-1})$	eq. used	L
1.06	322	0.10		162 ± 24	(9)	SbPh ₃
1.06	270	$\overline{}$		$161 + 2$	(9)	SbPh ₃
1.03	322	0.08	0.02	163 ± 5	(9)	$SbPh_a$
2.14	322	0.05	0.05	163 ± 2	(10)	$SbPh_3$
2.19	322		0.10	$161 + 5$	(10)	SbPh ₃
1.00	322		0.10	55 ± 1	(9)	AsPh ₃
2.55	322		0.10	$55 + 1$	(10)	$AsPh_3$
2.53	322	0.05	0.05	$59 + 1$	(10)	$AsPh_3$
2.56	322	0.08	0.02	63 ± 1	(10)	AsPh ₃
2.09	270	0.10	$\overline{}$	$61 + 1$	(11)	AsPh ₃
2.01	322			$62 + 1$	(11)	AsPh ₃

Table 8. *Rate constants for the reaction of* $AuCl_4^- + L$ *(L = SbPh₃, AsPh₃) in acetonitrile at 20* \pm *0.2°*

a) The reported error is calculated from the standard deviation. **As** it depends on the accuracy of a and b, the estimated relative error of \bf{k} is 10% .

In acetonitrile the rate determining step is the reduction of $AuCl₄^-$ into $AuCl₂^-$. The reaction is of first order in gold(III) substrate and in reducing agent:
 $-d[AuCl_{\vec{\bullet}}]/dt = -d[SbPh_{\text{a}}]/dt = k[AuCl_{\vec{\bullet}}][SbPh_{\text{a}}]$

$$
-d[AuCl_4^-]/dt = -d[SbPh_3]/dt = k[AuCl_4^-][SbPh_3] -d[AuCl_4^-]/dt = -1/2d[AsPh_3]/dt = k[AuCl_4^-][AsPh_3]
$$

The chloride concentration has no effect no the rate but merely shifts equilibrium (3) in favor of $AuCl₂$.

b) $L = PPh_3$: Since the reaction of AuCl₄ with PPh₃ was much faster than with SbPh₃ or AsPh₃, it was necessary to use stopped-flow techniques. The reaction conditions consisted of excess PPh₃ and the rates were pseudo first order in gold(III). Good first order kinetics were observed over 75-90% **of** the reaction, which was followed at **322** nm.

k_{ob} (s ⁻¹) 10 ⁻⁴	k_2 (M^{-1} s ⁻¹)	10^3L_1	k_{ob} (s ⁻¹) 10 ⁻⁴	k_2 (M^{-1} s ⁻¹)		
3.0°			15°			
93.2	5.1	1.84	108	5.8		
114	5.1	2.38	135	5.7		
188	4.8	2.38	141	5.9		
264	5.5	3.69	232	6.3		
		3.69	248	6.7		
9.0°		4.76	296	6.2		
102	5.5					
133	5.6					
208	5.6					
284	6.0					
290	6.1					
			μ and $\mu = 3.4 \pm 10$ m			

Table 9. *Rate constants for the reaction of* $AuCl_4^- + PPh_3 (= L)$ *in acetonitrile* $[AuCl^-]_t = 9.2 \cdot 10^{-5}$ M

The rate data are consistent with the rate law $(k_2 = k_{ob}/[PPh_a])$:

$$
-d[AuCl_{\mathbf{I}}^{-}]/dt = k_{\mathbf{2}}[AuCl_{\mathbf{I}}^{-}][PPh_{\mathbf{3}}].
$$

Within experimental uncertainty, no term zero order in [PPh₃] was found. Therefore if a two term rate law is applicable (see studies in dichloromethane, 4.4), the value of k_1 is $0 + 20 s^{-1}$ at 3-15°.

Activation parameters were calculated for the k_2 process from the temperature dependence of the rates: $\Delta H^* = 1.7 \pm 0.7$ kcal mol⁻¹ and $\Delta S^* = -31 \pm 3$ cal deg⁻¹ $mol⁻¹$.

4.4 *Kinetics in acetone and dichloromethane.* a) $L = SbPh_3$ *and AsPh₃*: Since the reduction of gold(II1) is slower than in acetonitrile, higher concentrations of reducing agent were used and the disappearance of $AuCl₄$ was followed by UV. spectrophotometry at 340 nm. The slope of the graph $\ln(A_t - A_\infty) = f(t)$ is k_{ob} . As the conditions are not strictly of pseudo first order in L, the rate constant **k** of the rate determining step (eq. 2 and 4) is the slope of the graph $k_{ob} = f(b - ma)$ where $m = 1$ for SbPh, and *2* for AsPh,. **As** this function is linear and passes through the origin, there is no parallel path independent of the L concentration. **A** stopped-flow experiment was performed in dichloromethane $(L = AsPh₃)$ to look for a fast reaction which preceeds the reduction of gold(III) (T = 17°, b/a = 18, λ = 323 nm). The traces show only a decrease in transmittance on mixing due to the strongly absorbing $AuCl_i$ ion. Thus, there appears to be only one reaction with a half-life longer than about 1-2 msec.

b) $L = PPh_a$: The rates of the reduction were again much faster than for SbPh₃ and AsPh₃, and stopped-flow methods were employed. The rate data were gathered under pseudo first order conditions using an excess of PPh₃. The data in dichloromethane were consistent with the rate law $(k_{ob} = k_1 + k_2[PPh_s])$

$$
- d[AuCl_4^-]/dt = (k_1 + k_2[PPh_3])[AuCl_4^-]
$$
 (eq. 13)

Ligand L $SbPh$,		in dichloromethane			in acetone		
	$T(^{\circ}C)$	b/a	$k (M^{-1} S^{-1})$	$T(^{\circ}C)$	b/a	$k (M^{-1} S^{-1})$	
SbPh ₃	7	$9 - 19$	$16 + 1$	3	4–9	$3.2 + 0.3$	
	11	$11 - 21$	$19 + 1$	10	$7 - 14$	$4.5 + 0.2$	
	17	$10 - 20$	26.4 ± 0.8	17	$6 - 14$	$6.4 + 0.1$	
	19	$8 - 16$	$28 + 1$	24	$4 - 27$	$8.9 + 0.1$	
	21	$10 - 20$	$31 + 2$				
AsPh ₂	7	$10 - 23$	$11.0 + 0.1$	3	$18 - 35$	0.97 ± 0.04 ⁸)	
	15	$10 - 21$	$15 + 1$	10	$20 - 45$	$1.36 + 0.06$	
	21	$10 - 21$	$19.9 + 0.8$	17	$11 - 23$	$2.0 + 0.2$	
				20	$12 - 26$	$2.19 + 0.06$ ^b)	
				24	$10 - 22$	$2.9 + 0.1$	
			k_1 (s ⁻¹) k_2 (m ⁻¹ s ⁻¹) · 10 ⁻⁴			k_2 (M ⁻¹ s ⁻¹) · 10 ⁻⁴	
PPh ₂	3	$20 - 52$	1.4 2.3		$16 - 52$	9.6	
	9	$20 - 52$	2.4 2.6		16–52	11.4	
	15	$20 - 52$	3.9 3.0		$16 - 52$	12.8	

Table 10. *Rate constants of the reaction* $AuCl_4^- + L$

a) A kinetic run with $\text{[Cl]} = 0.2 \text{m}$ (LiCl) gave $\mathbf{k} = 1.1 \pm 0.1 \text{m}^{-1} \text{s}^{-1}$

b) For $b/a = 2$, $k = 2.1 \pm 0.4 \text{ m}^{-1} \text{ s}^{-1}$.

In acetone, only the k_2 term was observed; if a k_1 path is applicable in this solvent, k_1 is 0 ± 0.2 s⁻¹ at 3-15°.

Activation parameters were calculated from the temperature dependence of the rates and are given in Table 11.

Ligand L		in dichloromethane		in acetone	
		ΔH^* (kcal/mol)	ΔS^* (e, u)	$AH*$	⁄lS*
APh ₃	(k_1)	$12.6 + 0.1$	$-12+1$	$-a$	$-a$
$SsPh$,	(\mathbf{k}_2)	$2.3 + 0.8$	$-30+3$	$3.1 + 1.6$	$-34+6$
$P_{\rm S}P_{\rm h_2}$	(k)	\sim 6	-31	$7.7 + 0.9$	$-30+3$
$AbPh$ ₃ (k)		$7.0 + 0.8$	$-28+3$	$7.5 + 0.5$	$-29+2$

Table 11. *Activation parameters of the rate determining step of the reduction of* $AuCl_4^-$ *by L*

^a) **k**₁ path is zero within experimental error.

4.5. *Mechanism of the reduction of* $AuCl_4^-$ *by* PPh_3 *,* $AsPh_3$ *and* $SbPh_3 (= L)$ *.* The triphenylarsine and -stibine systems react at very similar rates and both have similar activation parameters. However, the triphenylphosphine is more reactive and seems to behave differently. The lower activation enthalpy for PPh_a is primarily responsible for the greater reactivity. In the case of $AsPh₃$ and $SbPh₃$, both the reaction stoichiometry and the rate data are consistent with a path which involves a slow reduction of AuCl₄ to AuCl₂ (eq. 2 or 4), followed by a rapid equilibrium formation of AuClL (eq. *3* or 5). An alternative path in which a chloride is replaced in AuCl₄ giving a reactive substitution product, AuCl₃L, as an intermediate is considered unlikely because we have noted that at least for AsPh_3 , the complex AuCl_3 AsPh_a is stable in acetonitrile. No evidence for such a species was found. Further the lack of dependence of the rates on the presence of excess chloride indicates that loss of chloride is not involved in the rate determining step. Since the rate laws are first order in both AuCl₄ and ligand, the mechanism undoubtedly involves associative activation.

The ligands are good nucleophiles towards d^s substrates, and $AuCl_{\mathbf{I}}$ has an empty p_z orbital suitable for use in the formation of a five-coordinate intermediate or transition state. Consequently, it is likely that the rate determining step for AsPh_a and SbPh_a involves first a nucleophilic attack perpendicular to the plane of the gold(III)-complex forming a redox reactive intermediate $[AuCl₄L]$. This step is then followed by a rapid intramolecular redox process which gives rise to products. The geometry of this five-coordinate $[AuCl₄ L]$ species must be of considerable importance, since in the case of AsPh₃, the four-coordinate complex $AuCl₃AsPh₃$ is redox stable. The redox rearrangement may involve chlorine atom transfer to Sb or As, but a detailed description of the redox rearrangement would be speculative. It should be pointed out however, that since all the d^{10} complexes examined were very labile, any Au-C1 or Au-L bond breaking occuring after the electron transfer in the five-coordinate complex is not expected to be kinetically important.

In the case of PPh,, the rate law in dichloromethane (eq. **13)** strongly suggests that the rate determining step involves the formation of $AuCl₃PPh₃$ by the usual associative square-planar substitution paths $(k_1 \text{ and } k_2)$. A rapid reduction reaction involving another mol of PPh, would then follow to give products. This kind of pathway is consistent with the reaction stoichiometry. That PPh₃ should behave differently than $SbPh_3$ and $AsPh_3$ is perhaps not too surprising since PPh_3 is a weaker reducing agent, yet still a very powerful nucleophile towards gold(II1). Thus for YPh,, chloride substitution is favored over a redox rearrangement process, at least for the first replacement. The redox process that follows the chloride replacement may well be quite similar to that visualized for $SbPh_3$ and $AsPh_3$.

The role the solvent plays in these redox reactions is not entirely clear. Two effects may be noted. First, the order of reactivity for the second-order path of all three ligands is acetonitrile \geq dichloromethane \geq acetone. This order does not parallel solvent polarity, but since there is little change in ionic charge in the transition states visualized for these reactions, only small contributions would be expected from differences in solvent polarity. The rate differences may reflect differences in solvent's ability to stabilize the transition states by some type of coordinative interaction with the soft metal and donor atom centers. Acetonitrile is the most reactive medium and is probably the best donor towards soft centers. Second, only for dichloromethane is a k_1 path observed for PPh_a, indicating that if the associative square-planar mechanism is applicable, the solvent reactivity order for the k_1 path is dichloromethane \gg acetonitrile \sim acetone. This effect can be rationalized by noting that dichloromethane has the lowest dielectric constant and is thus the pcorest solvent for the ionic substrate AuCl₄ of the three. The solvation of AuCl₄ by acetonitrile and acetone is expected to be more efficient, and therefore the desolvation required to form a solvent complex transition state associated with the k_1 path will be less favorable than for dichloromethane.

5. Experimental Part

5.1. *Solvents and compounds.* All solvents and liquids were purified, dried by standard methods [lo] and degassed with nitrogen for most of gold(1)-complexcs are very prone to dismutation. The following compounds were prepared by published methods: [Au(MeCN),]ClO, [ll] ; AuClL *[9]* (UV. max. in MeCN for AuClPPh₃: 260 nm $(\varepsilon = 2550 \text{ M}^{-1} \text{ cm}^{-1})$, 267 (2590), 271 (2010); for AuClAsPh₃: 253 (1590), 258.5 (1570), 263.7 (1670), 270.5 (1260); for AuClSbPh₃: 256.5 (2370), 263.2 (2070), 270 (1440)); Bu,NAuCl, **[12]** (UV. max: 225 (43400), 322 (5360)); LC1, [13] (UV. max. for Ph_3PCl_2 : 254 (1080), 259 (1500), 271.5 (1560); for Ph_3AsCl_2 : 259 (1890), 264.8 (1970), 271.2 (1430) ; for Ph₃SbCl₂: 258, 263 (1629), 270 (1196)). AuCl_aL-complexes: one mmol of AuClL was dissolved in the minimum amount of 1, 1, 2, 2-tetrachloroethane and 2 mmol Cl₂ in CCl₄ were slowly added; the solid was washed with $CCl₄$, then with $Et₂O$, dried under vacuum and stored in sealed tubes; UV. max. for $AuCl_3PPh_3$ in CH_2Cl_2 : 335 nm (12970), for $AuCl_3AsPh_3$: 342.5 (12680). The majority of gold(1)-complexes are very soluble and were not isolated in the solid state except AuXNH₃ (X = Cl, Br, I): 0.5 mmol [Au(MeCN)₂]ClO₄ and 1.5 mmol Et₄NX was dissolved in MeCN, and *2* mmol NH, in MeCN added; the white powder was filtered under nitrogen, washed with MeCN and dried over P_2O_6 (0.01 mmHg); IR.-spectra of AuClNH₃: ν (N-H) sym. and asym.: 3100-3300 cm-l, &(H-N-13): 1620 (as), 1278 (sym.), **&(NH,):** 800, v(Au-N): 480, v(Au-Cl): 320 cm-1. Good elemental analysis werc obtained for all the reported compounds.

5.2. *Potentiowaetric measurements zn acetonitrile.* The titrations were performed under nitrogen at 20.0 \pm 0.1° and $\mu = 0.1$ (Et₄NClO₄) using a *Metrohm* E388 compensator and the cell Au/ ${\rm [Au(MeCN)_2]ClO_4}$ $\rm\,10^{-3}$ M + L + Et3NClO4 0.1 $\rm\,M/Et_4NClO_4$ 0.1 $\rm\,M/KClO_4$, KCl/Hg,Cl2/Hg. The reference electrode was built With the aid of *Bravo's* and *Iwamoto's* data [14]. Pure gold(1)-solutions were obtained by dissolving $[Au(MeCN)]_2[CO_4]$ in acetonitrile or by constant potential anodic oxidation of a gold foil in presence of Et_4NClO_4 0.1M *(McKee Pedersen* coulometer).

The approximations used (see 3.1) are: for $V < V_1$ (1st equivalent point): $E = E_{A u^+ / A u}^{\circ} +$ The approximations used (see 3.1) are: for $V < V_1$ (1st equivalent point): $E = E_{Au^*/Au} + 0.058 \log [c_{Au}/(1 + V/V_1 - V)]$; for $V_1 < V < V_2$ (2nd equiv. point): $E = E_{Au^*/Au}^2 + 0.058 \log$ 0.058 log $[c_{Au}/(1 + V/V_1 - V)]$; for $V_1 < V < V_2$ (2nd equiv. point): $E = E_{Au'/Au}^{\gamma} + 0.058$ log $K_2/K_1 + 0.058$ log $[c_{Au}/(x + x^2)]$ where $x = (V - V_1)/(2 V_1 - V)$; for $V > V_2$: $E = E_{Au'/Au}^2 - 0.058$ log $K_1K_2 + 0.058$ log $[V_1(V_0 + V)/c_L(V 0.058$ log K₁K₂ + 0.058 log [V₁(V₀ + V)/c_L(V - 2 V₁)²]. The constancy of the calculated potentials is shown in the example of Table 12.

Table 12. Potentiometric titration of $Au(MeCN)^+$ by $PPh_3 (= L)$ $V_0 = 40$ ml; $V_1 = 0.399$ ml; $c_{Au} = [Au(MeCN)^{+}_{2}]_t = 2.10^{-3}$ *M*; $c_{Li} = [L]_t = 0.2007$ *M*

V(ml)	E (Volt)	$V/(V_1 - V) = v$	$c_{Au} = [Au(MeCN)a]t$	$E_{\text{Aut}/\text{Au}}^{\circ}$
0.04	1.176	0.111	1.800	1.335
0.08	1.173	0.251	1.599	1.335
0.16	1.166	0.669	1.198	1.335
		$(V - 2 V_1)^2 10^2 = z V_1 (V_0 + V)/[L_1]_2$		$E_{\rm Au^{+}/Au^{-}}^{0.058}$ log K ₁ K ₂
0.90	0.037	1.040	7818	-0.189
0.94	0.020	2.016	4037	-0.189
0.96	0.014	2.624	3103	-0.189
1.00	0.004	4.080	1998	-0.187

Fig. 6. Potentiometric titration curves of Au^+ by $Cl^-(I)$, Br (II) , I (III) , inverse titration) in aceto*nitrile at 20°,* $\mu = 0.1$ *(Et₄NClO₄)*

5.3. *Kinetic measurements by spectrophotometry.* We used a *Beckman* Acta **V** and a *Beckmalz* **DBGT** spectrophotometer with thermostated cells. The reaction $AuCl_4^- + L$ was followed by repetitive scannings or by monitoring the disappearance of one reactant at fixed wavelength. The

conversion of eq. 9–12 (see 4.3) in terms of absorbance is: $A_0 - A_t/(A_t - A_\infty) = \text{makt where } \textit{rom} = 1$, 2, 4 for eq. 9 and 11, respectively; $ln[(b/a) (A_0 - A_\infty) - m(A_0 - A_t)/(b/a) (A_t - A_\infty)] = (b-ma)kt$ where $m = 1$ for eq. 10 and 2 for eq. 12.

5.4. *Stopped-flow measurements.* **A** *Durrum-Gibson* model D-110 stopped-flow spectrophotometer equipped with a thermostated valve block, drive syringes, and mixing chamber was used for the stopped **flow** measurements. Data acquisition and computation of rate constants has been described previously [16]. Pseudo-first-order rate constants, k_{ob} , were obtained with 1-2% standard deviations in almost all cases. Reproducibility of independent experiments was generally within $\pm 5\%$.

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249. Vinca Alkaloids XXXII I). Microbiological Conversions of Vindoline, a Major Alkaloid from *Vincu roseu* **L 2,**

by **N. Neuss, D. S. Fukuda, G. E. Mallett, D. R. Brannon** and **L. L. Huckstep**

The Lilly Research Laboratories Eli Lilly and Company

Indianapolis, Indiana USA

(30. VIII. 73)

Summary. Vindoline, a major alkaloid from *Vinca Yosea* L was subjected to microbiological conversion using *Streptomyces* cultures.

Several new metabolites were isolated and their structures elucidated.

- Paper XXXI in this series, sce [1]. **l)**
- Presented in part at the joint meeting of the American Academy of Pharmacognosy and Natural Products Section, Academy of Pharmaceutical Sciences Symposium on Biotransformations and Fermentations, Jekyll Island, Georgia, **USA,** July 15-20, 1973. **2,**